## Key of Case Study 5 PHA 5127 Fall 2004

- 1. A patient with pulmonary disease is receiving <u>IV bolus</u> injections of theophylline. The dose is 200 mg every 6 hr with satisfactory response. Recently, <u>steady state</u> theophylline plasma concentrations were determined to be 15 mg/L, 1 hour after the last dose administration and 8.2 mg/L 6 hr after the last dose administration (trough).
  - a. Determine the elimination rate constant. Ct1=Ct2\*exp(-Ke\*(t1-t2)) 8.2=15\*exp(-Ke\*(6-1)) Ke=Ln(8.2/15)/(-5)=0.12/hr
  - b. Volume of distribution.

At steady state,

$$Cpss(t) = \frac{Cp_0 \cdot e^{-k_s t}}{(1 - e^{-k_s t})} = \frac{D \cdot e^{-k_s t}}{V_d \cdot (1 - e^{-k_s t})}$$

where t is the time after last i.v. bolus injection. So, plug in the given plasma concentration one hour after administration.

$$V_{d} = \frac{D \cdot e^{-k_{d}t}}{Cp_{ss}(t) \cdot (1 - e^{-k_{d}t})} = \frac{(200 \, mg) \cdot e^{-(0.12kr^{-1}x1kr)}}{(15 mg/L) \cdot [1 - e^{-(0.12kr^{-1}x6kr)}]}$$
$$V_{d} = 23 \text{ L}$$

c. Determine the clearance.

$$Cl=ke*Vd==(0.12hr^{-1})(23L) = 2.76 L/hr$$

d Estimate also the average steady state the ophylline concentration  $(Cp_{ss})$  with this regimen.

$$\overline{C}pss = \frac{D}{Cl \cdot r} = \frac{200mg}{(0.12hr^{-1}x23L) \cdot (6hr)} = 12.07mg/L$$

- 2. The population pharmacokinetics of a drug for a 70kg person are: V=260 liters, Cl=5L/hr. If a patient (69kg) take 40 mg of this drug daily after breakfast.
  - a. The accumulation factor at steady state. Ke= Cl/Vd=5/260= 0.019/hr Rss=1/(1-Exp(-ke\* $\tau$ )=1/(1-Exp(-0.019\*24))=2.73
  - b. How long it takes to achieve 50% of the steady state. Need one half life to achieve 50% of the steady state. T1/2=0.693/0.019=36.5hr.
  - c. The maximum and minimum amount in the body at steady state. Cmax=D/Vd\*Rss=40/260\*2.73=0.42mg/L Amax=Cmax\*Vd=0.42\*260=109.2mg Cmin=Cmax\*exp(-Ke\*24)=0.42\*exp(-0.019\*24)=0.27mg/L Amin=Cmin\*Vd=0.27\*260=70.2mg
- 3. True and False
- 1. The smaller elimination constant, the bigger fluctuation. Flase. F=Cmax/Cmin=exp(Ke\* $\tau$ )
- 2. The higher dose, the higher steady state average concentration. True. Cave=Dose/Cl\*τ
- 3. The longer dosing interval, the longer to achieve steady state. False. Time to achieve steady state is about 5 half-lives.
- 4. The longer half life, the smaller degree of accumulation. False. The longer half-life, smaller ke.  $Rss=1/(1-Exp(-ke^*\tau))$ .
- 5. The higher clearance, the smaller AUC during one dosing interval at steady state.

True. AUC=Dose/Cl. The AUC during one dosing interval at steady state. Is identical to AUCinf of the first dose.